Bonding sep 24

Tuesday, September 20, 2022 4:22 PM

② Valence Bond Theory (VBT)

→ To explain covalent bonding.
→ Concept of orbital overlapping → partial Interpenetration

(H_2) $1s^1 \to H$

(s–s) overlap

Bond length

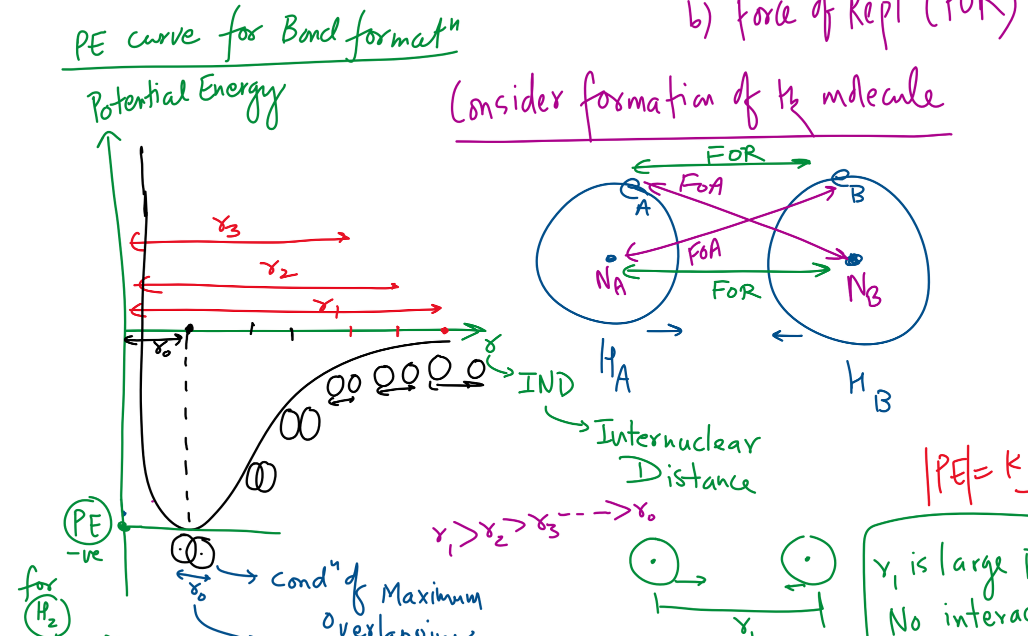
Forces which participate during overlapping :–

a) Force of attrⁿ (FOA) ⇒ e_A & N_B, e_B & N_A

b) Force of Replⁿ (FOR) ⇒ e_A & e_B, N_A & N_B

PE curve for Bond formatⁿ

Consider formation of H_2 molecule



$r_1 > r_2 > r_3 - - - > r_0$

$|PE| = \frac{K q_1 q_2}{r}$

r_1 is large Distance. No interaction b/w atoms. P.E = 0

r_0 → condⁿ of Maximum overlapping
→ distance of closest approach ⇒ Bond length

for (H_2) → $PE_{min} = -435.8$ KJ/mole

Band Energy of H_2 = 435.8 KJ/mole

$r_0(H_2) = 74$ pm

At $r_0 = r$; Max overlapping. FOA = FOR , PE min

At $r > r_0$ → FoA > FOR ; PE ↓es

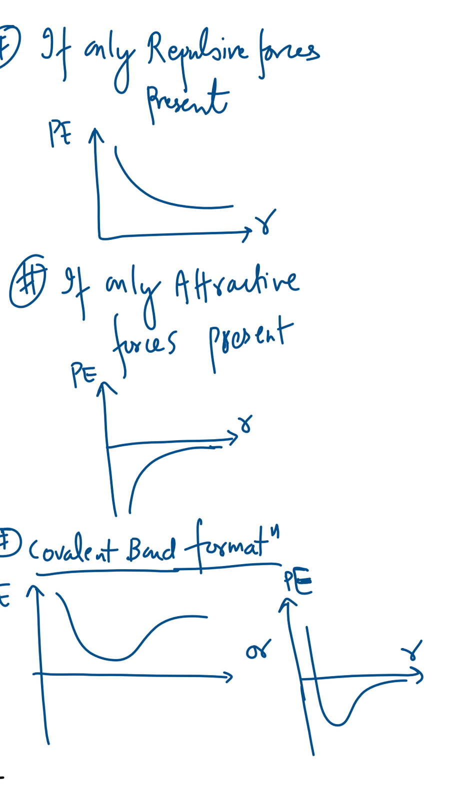
At $r < r_0$ → FOR > FoA ; PE ↑es

More –ve PE or more Min PE is achieved, more strong will be Bond formed; Bond will be more tight & Stiff.

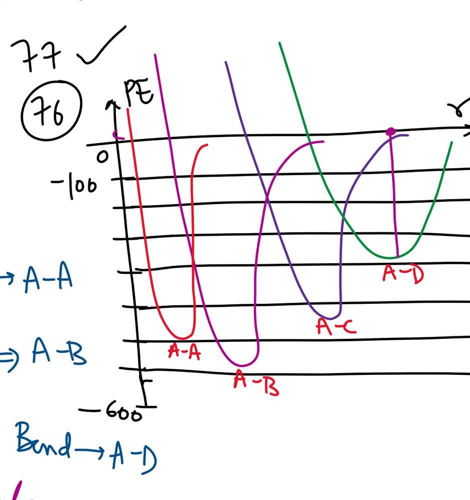
If only Repulsive forces Present

If only Attractive forces present

Covalent Bond formatⁿ



(Pg → 46) 77 ✓ (76)



Shortest Bond → A-A

Strongest & stiff ⇒ A-B

Weakest Bond → A-D

EN order: B > C > D > A

P—Q

r → Bond length b/w Hetero-atoms

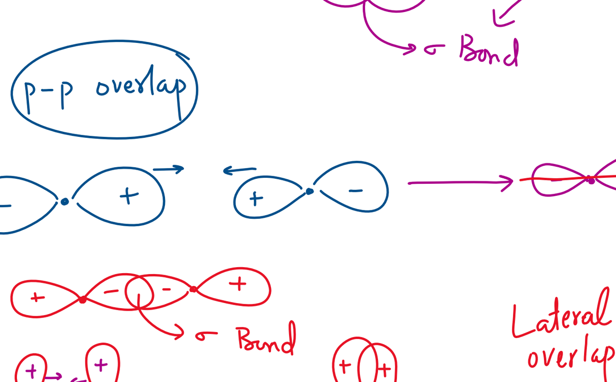
$r = CR(P) + CR(Q) - 0.09|\Delta EN|$

ΔEN ↑es, (r ↓es)

Types of overlapping

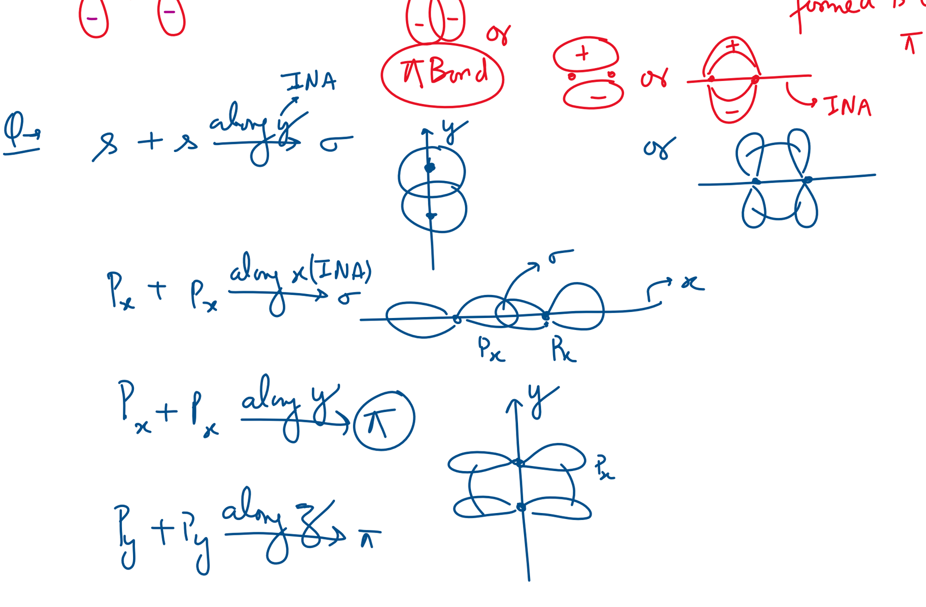
① Positive overlapping ⇒ Overlapping of orbitals Having same phase wavefunctions → It leads to attractive interactions.

ⓐ s-s overlap



Head-on overlap ⇒ If overlapping takes place along INA, then Bond form is σ Bond By positive overlapping.

ⓑ p-p overlap



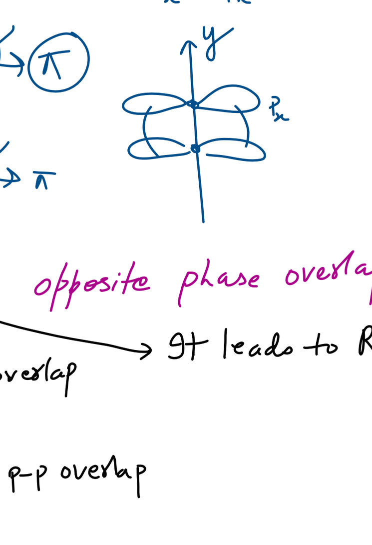
Lateral overlap ⇒ If positive overlap occur ⊥ar to INA, then Bond formed is called π Bond

Q→ s + s $\xrightarrow{\text{along } y}$ σ

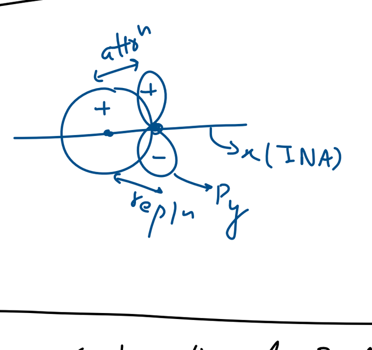
$P_x + P_x \xrightarrow{\text{along } x\text{(INA)}} σ$

$P_x + P_x \xrightarrow{\text{along } y}$ (π)

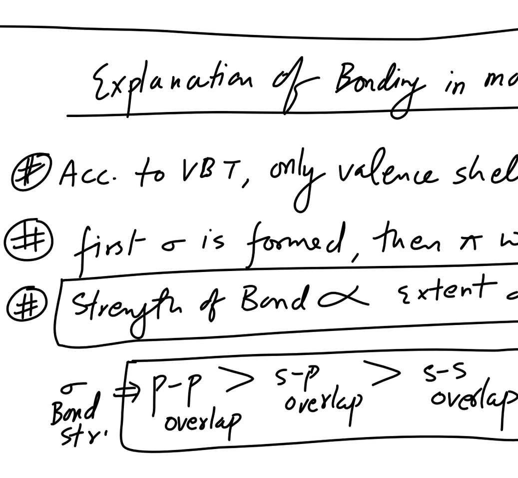
$P_y + P_y \xrightarrow{\text{along } z}$ π



② –ve overlap ⇒ opposite phase overlap. → It leads to Repulsive Interactions.



③ Zero overlapping :–



$P_x + P_y \xrightarrow{\text{along x or y or z}}$ Zero overlap

$s + P_y \xrightarrow{\text{along } y}$ σ
→ along x → zero
→ along z → zero

Explanation of Bonding in molecules

Acc. to VBT, only valence shell orbitals participate for Bond formatⁿ.

first σ is formed, then π will be formed

Strength of Bond ∝ extent of overlapping

σ Bond str. ⇒ p-p overlap > s-p overlap > s-s overlap

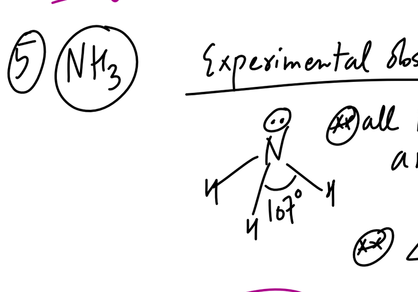
egr ① (H_2) H = $1s^1$

→ σ(s-s) overlap

H—H

② O_2 $O = 1s^2 2s^2 2p^4$ (valence shell)

Lone pair, P_x, P_y



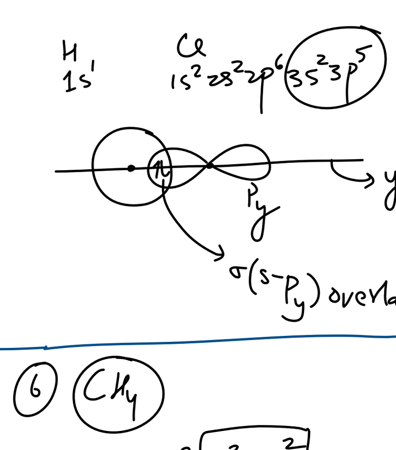
$O \overset{\sigma}{\underset{\pi}{=}} O$

Strength: σ > π

③ (N_2) :N≡N:

$N = 1s^2 2s^2 2p^3$ → V.s.e = 5

L.p ← 2s, 2p: $P_x P_y P_z$



:N≡N: → 1σ, 2π

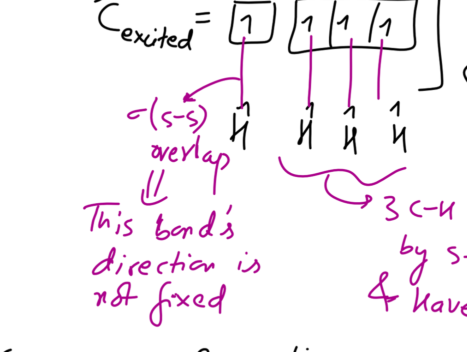
Bond Multiplicity (BM) ⇒ No. of Bonds b/w 2 atoms

BM ↑es, Bond strength ↑es

Strength of Bond ⇒ $N_2 > O_2 > H_2$

④ (HCl)

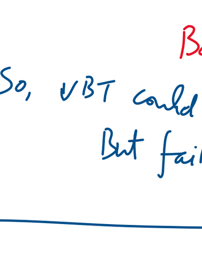
H $1s^1$; Cl $1s^2 2s^2 2p^6 3s^2 3p^5$



→ σ(s-P_y) overlap

⑤ (NH_3)

Experimental Observation



(i) all N-H Bonds are of same strength

(ii) ∠HNH = 107°

$N = 1s^2 2s^2 2p^3$

L.p ←

H H H → all N-H are formed by σ(s-p) overlap. So, Bond strength will be same & angle b/w N-H Bonds = 90° } Acc. to VBT

So, VBT could explain Bonding in NH_3 But fails to explain Bond Angle.

⑥ (CH_4)

$C_{ground} = 1s^2 2s^2 2p^2$

+E

$C_{excited}$ = 2s, 2p } Aufbau Principle failed

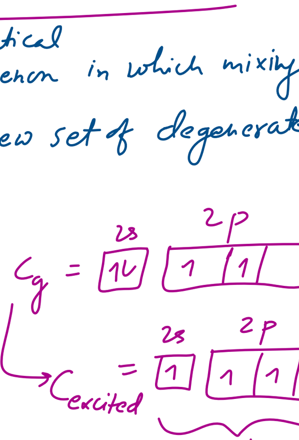
σ(s-s) overlap ⇓ This bond's direction is not fixed

H H H H

3 C-H Bonds by s-p overlap & have angle 90°

Experimental Observation

↳ all C-H Bonds are of same strength and they maintain 109°28′ or 109.5° b/w them & molecule is tetrahedral in shape.



So, VBT completely fails to Explain Bonding as well as Bond Angle in CH_4. So, we need a new theory or modification to explain Polyatomic molecules.

VBT is restricted to explain diatomic Molecules.

Modification in VBT → Hybridization

A mathematical phenomenon in which mixing of Atomic orbitals takes place to form a new set of degenerate orbitals called Hybrid orbitals.

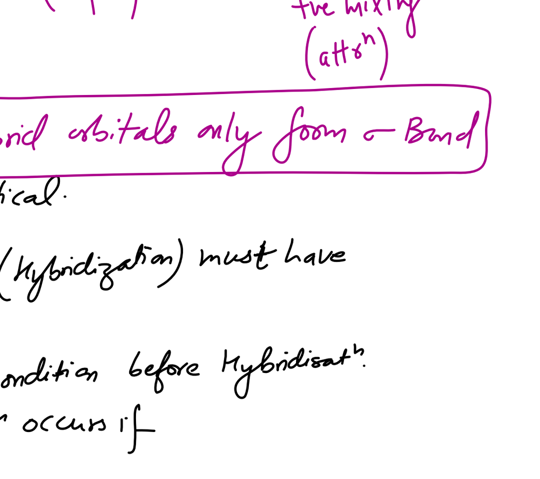
$CH_4 \Rightarrow C_g$ = 2s, 2p

$+E_1$ → $C_{excited}$ = 2s, 2p

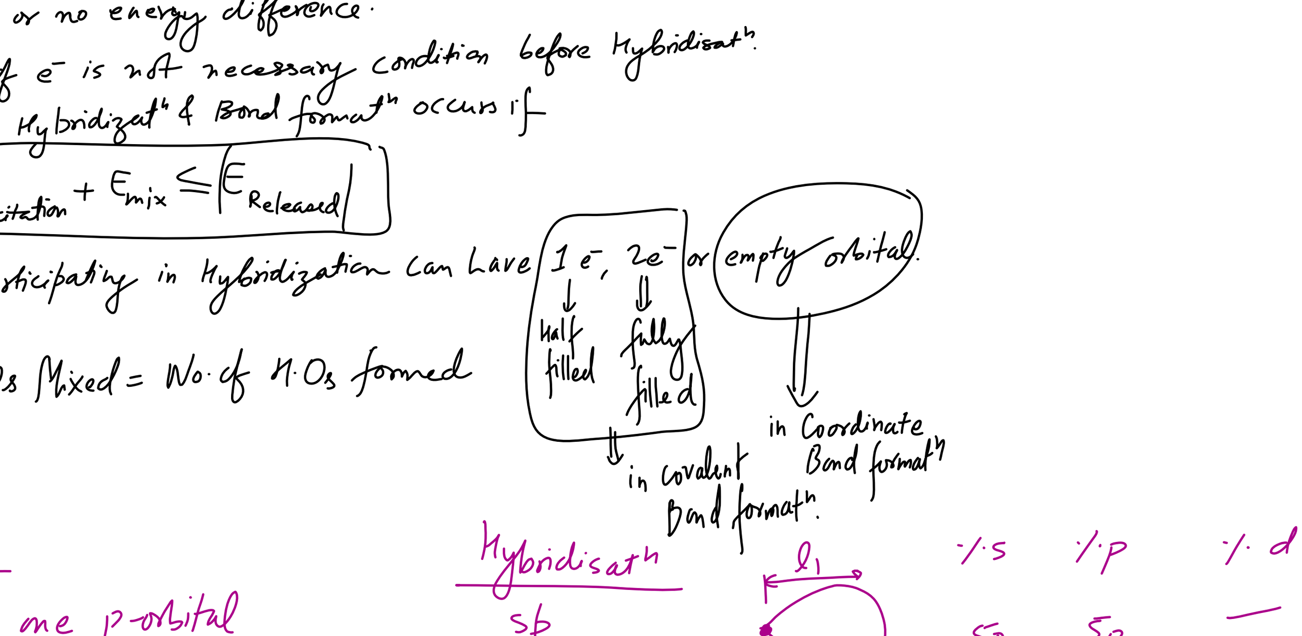
$+E_2$ Mix → $sp^3\ sp^3\ sp^3\ sp^3$ → E_R = –ve

% s-character $= \frac{1}{4} \times 100 = 25\%$

% p = 75%



Hybrid orbital Shape



Arranged in such a way that they have max distance & minimum replⁿ. Vector Sum = 0

features of Hybridisatⁿ ⇒ Hybrid orbitals only form σ Bond

① It is purely imaginary and mathematical.

② Atomic orbitals participating in mixing (Hybridization) must have very small or no energy difference.

③ Excitation of e⁻ is not necessary condition before Hybridisatⁿ.

④ Succesful Hybridizatⁿ & Bond formatⁿ occurs if

$$E_{excitation} + E_{mix} \le |E_{Released}|$$

⑤ Orbitals participating in Hybridization can have 1 e⁻ (half filled), 2e⁻ (fully filled) ⇓ in covalent Bond formatⁿ, or empty orbital ⇓ in Coordinate Bond formatⁿ.

⑥ No. of A.Os Mixed = No. of H.Os formed

A.O	Hybridisatⁿ	% s	% p	% d
s + any one p-orbital	sp	50	50	—
s + any two p-orbitals	sp^2	33.3%	66.6%	—
s + P_x + P_y + P_z	sp^3	25%	75%	—
s + P_x + P_y + P_z + d_{z^2}	sp^3d	20%	60%	20%
s + P_x + P_y + P_z + (d_{z^2} + $d_{x^2-y^2}$) → Axial	sp^3d^2			
s + P_x + P_y + P_z + (d_{xy} + d_{yz} + d_{zx}) → Non-axial	sp^3d^3			

$l_3 > l_2 > l_1$

How to find Hybrization ⇒ Calculation only valid for species having single center atom

$$\text{Steric No.(S.N)} = \frac{\text{V.s.e of Center atom} + (-ve) - (+ve) + \text{No. of Monovalent atom}}{2}$$

(Monovalent atom → Hydrogen & Halogen)

= No. of A.Os mixed
= No. of H.Os formed

eg: $(NH_4)^{\oplus} \Rightarrow S.N = \frac{5+4-1}{2} = 4 = sp^3$

$CH_4 \Rightarrow S.N = 4 = sp^3$ → 4 + 0 (σ by C, L.p on Carbon)

$CO_3^{2-} \Rightarrow \frac{4+2}{2} = 3 = sp^2$ → (3σ + 0 L.p) Center

$NH_3 \Rightarrow \frac{5+3}{2} = S.N = 4 = sp^3$ → (3σ + 1 L.p) N

$SF_4 \Rightarrow \frac{6+4}{2} = 5 = S.N$ → (4σ + 1 L.p) S

$ClF_3 \Rightarrow \frac{7+3}{2} = 5 = S.N$ → (3σ + 2 L.p) Cl

$SO_4^{2-} \Rightarrow \frac{6+2}{2} = S.N = (4σ + 0 L.p)_S$

(H.W) SO_4^{2-}, SO_3^{2-}, PCl_5, PCl_3F_2, PCl_2F_3, $NO_3^{\ominus}$, $(NH_4)^+$, $POCl_3$, SF_6, XeF_6, XeO_2F_2, $XeOF_4$, XeO_3, XeF_2, I_3^+, $I_3^{\ominus}$, SF_4, XeF_4, NCl_2Br, PCl_4^+, $PCl_6^{\ominus}$, BF_3, NO_2F, $COCl_2$, SO_3, $H_2PO_2^-$, HPO_3^{2-}, PO_4^{3-}, SO_2, SO_2Cl_2, $SOCl_2$, ClO_3^-, ClO_4^-, ClO^-, $ClO_2^{\ominus}$, N_2O, OF_2.